

7.3 Linear vs. Exponential

Practice

Algebra 1

Identify the type of relationship and create a function from the given information.

1. The alligator population p is currently 30, and every year t the population is $\frac{9}{7}$ of the previous year's population.

exponential growth

$$P(t) = 30\left(\frac{9}{7}\right)^t$$

2. In the morning, the temperature T is 45 degrees Fahrenheit and it increases by 4 degrees every hour h until 4:00 p.m.

linear growth

$$T(h) = 45 + 4h$$

3. There are currently 8 boars roaming around in Mr. Bean's back yard. Each year t , the population p increases by 8.

linear growth

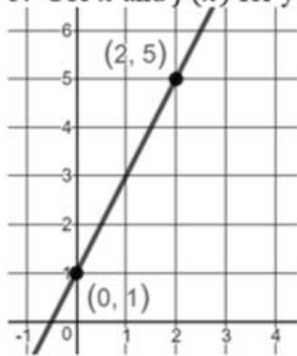
$$P(t) = 8 + 8t$$

4. There are 100 rodents in a barn. Every month m , the rodent population p increases by 200%.

exponential growth

$$P(m) = 100(3)^m$$

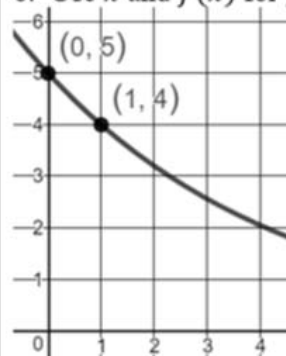
5. Use x and $f(x)$ for your variables.



linear growth

$$f(x) = 1 + 2x$$

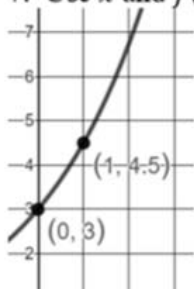
6. Use x and $f(x)$ for your variables.



exponential decay

$$f(x) = 5\left(\frac{4}{5}\right)^x$$

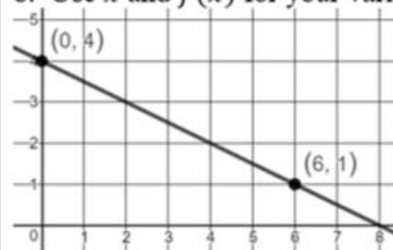
7. Use x and $f(x)$ for your variables.



exponential growth

$$f(x) = 3(1.5)^x$$

8. Use x and $f(x)$ for your variables.



linear decay

$$f(x) = 4 - \frac{1}{2}x$$

9.

x	0	1	2	3
$h(x)$	7	9.8	13.72	19.208

exponential growth

$$h(x) = 7(1.4)^x$$

10.

h	0	1	2	3
$r(h)$	12	4	$\frac{4}{3}$	$\frac{4}{9}$

exponential decay

$$r(h) = 12\left(\frac{1}{3}\right)^h$$

11.

t	0	1	2	3
$v(t)$	7	13	19	25

linear growth

$$v(t) = 7 + 6t$$

12.

t	0	1	2	3
$a(t)$	4	1	-2	-5

linear decay

$$a(t) = 4 - 3t$$

Create a model (equation) for each scenario. Use function notation to answer the question.

13. A population p of 500 people doubles every 35 years t . How many people will there be in 100 years?

$$P(t) = 500(2)^{\frac{t}{35}}$$

$$P(100) \approx 3622.89$$

14. After a morning coffee, Mr. Brust has 200 mg of caffeine c in his blood. The half-life is 45 minutes m . How much caffeine is in his system after 2 hours and 10 minutes

$$C(m) = 200\left(\frac{1}{2}\right)^{\frac{m}{45}}$$

$$C(130) \approx 27$$

15. There is 3100 grams g of radioactive material. The half-life of the material is 8,000 years t . How much radioactive material will there be in 10,000 years?

$$g(t) = 3100\left(\frac{1}{2}\right)^{\frac{t}{8000}}$$

$$g(10,000) \approx 1303.39$$

16. A mutual-fund portfolio has a value v of \$1,000 and doubles every 7 years t . How much will the fund be worth in 20 years?

$$V(t) = 1000(2)^{\frac{t}{7}}$$

$$V(20) \approx 7245.79$$

17. A culture of bacteria has 2,500 cells c that doubles every 3 hours h . How many cells of bacteria will there be in 2 hours?

$$c(h) = 2500(2)^{\frac{h}{3}}$$

$$c(2) \approx 3968.5$$

18. A species of animal a is being destroyed by a predator. The half-life is 6 months m . If there are 200,000 animals, how many will there be left in 4 years?

$$a(m) = 200,000\left(\frac{1}{2}\right)^{\frac{m}{6}}$$

$$a(48) \approx 781.25$$

19. Find the product of $(5p + 1)(p - 1)$

$$5p^2 - 5p + p - 1$$

$$5p^2 - 4p - 1$$

20.

x	y
0	85
2	75
5	65
7	70
14	52
15	50
20	45
23	37

Find the LINEAR regression equation for the data above.

Equation: $y = -1.89x + 80.27$

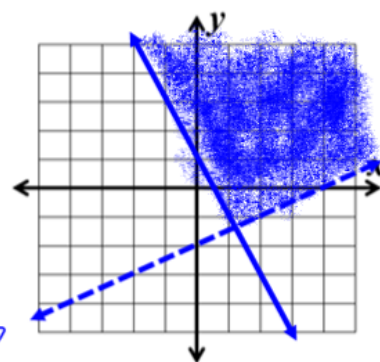
Correlation Coefficient: 0.978

Explain the meaning of the correlation coefficient.

Strong negative correlation

21. Graph the following:

$$\begin{cases} y \geq -2x + 1 \\ y > \frac{1}{2}x - 2 \end{cases}$$



22. Solve: $\frac{x-8}{4} + 3 = 9$

$$\frac{x-8}{4} = 6$$

$$x - 8 = 24$$

$$x = 32$$